

Automatic segmentation and classification of movement trajectories for transportation modes

A thesis submitted in partial fulfilment of the requirements for the degree
Master of Science in Geomatics

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Objective

$$(x_1, y_1, z_1, t_1)$$

$$(x_2, y_2, z_2, t_2)$$

$$\vdots$$

$$(x_n, y_n, z_n, t_n)$$



Transportation mode

Objective (2)

$$\left. \begin{array}{c} (x_1, y_1, z_1, t_1) \\ \vdots \\ (x_i, y_i, z_i, t_i) \end{array} \right\} \text{1st transportation mode}$$

$$\left. \begin{array}{c} (x_{i+1}, y_{i+1}, z_{i+1}, t_{i+1}) \\ \vdots \\ (x_j, y_j, z_j, t_j) \end{array} \right\} \text{2nd transportation mode}$$

$$\left. \begin{array}{c} \vdots \\ (x_k, y_k, z_k, t_k) \\ \vdots \\ (x_u, y_u, z_u, t_u) \end{array} \right\} \text{n-th transportation mode}$$

Example

- GPX file in Google Earth

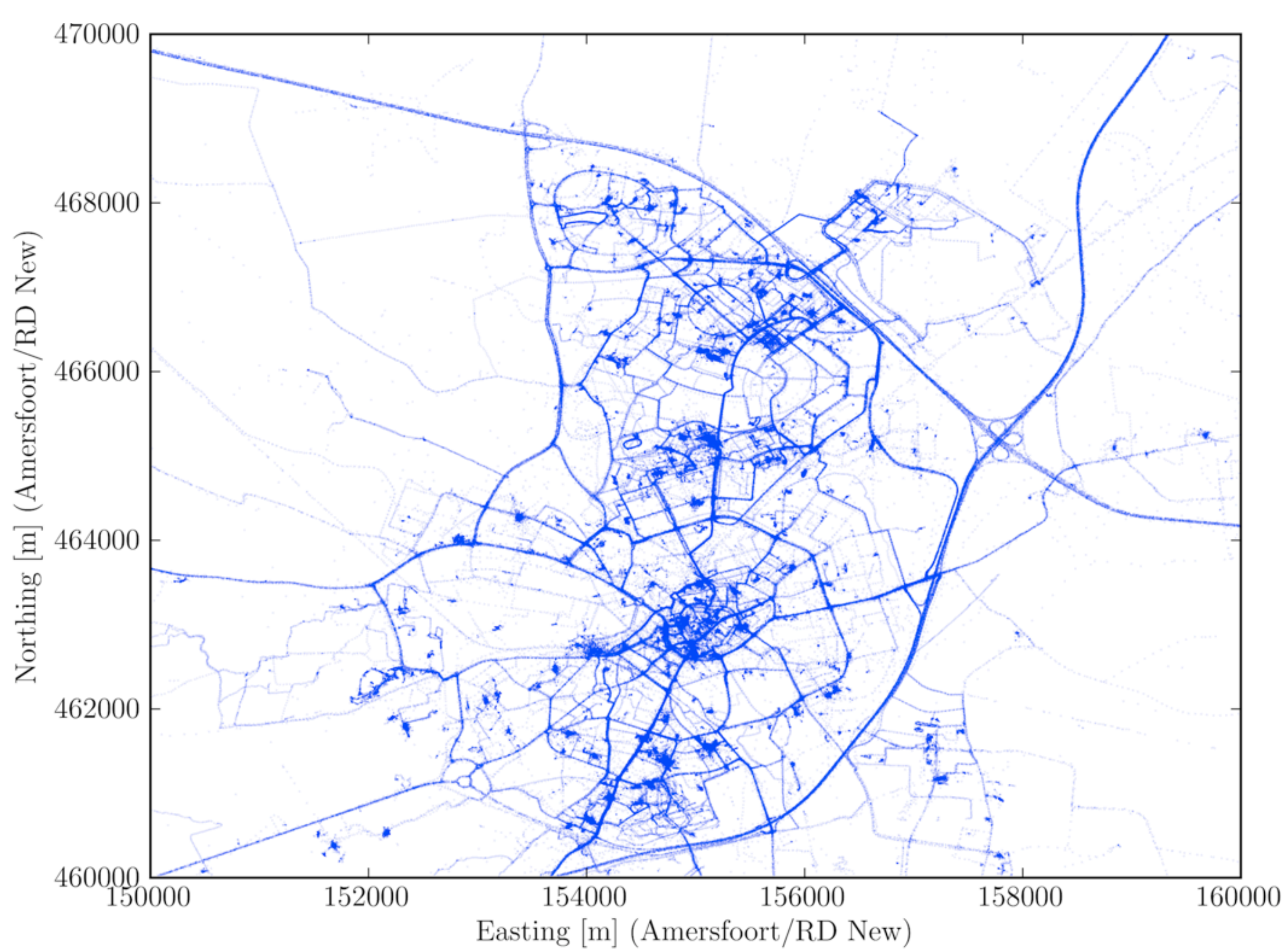
Applications

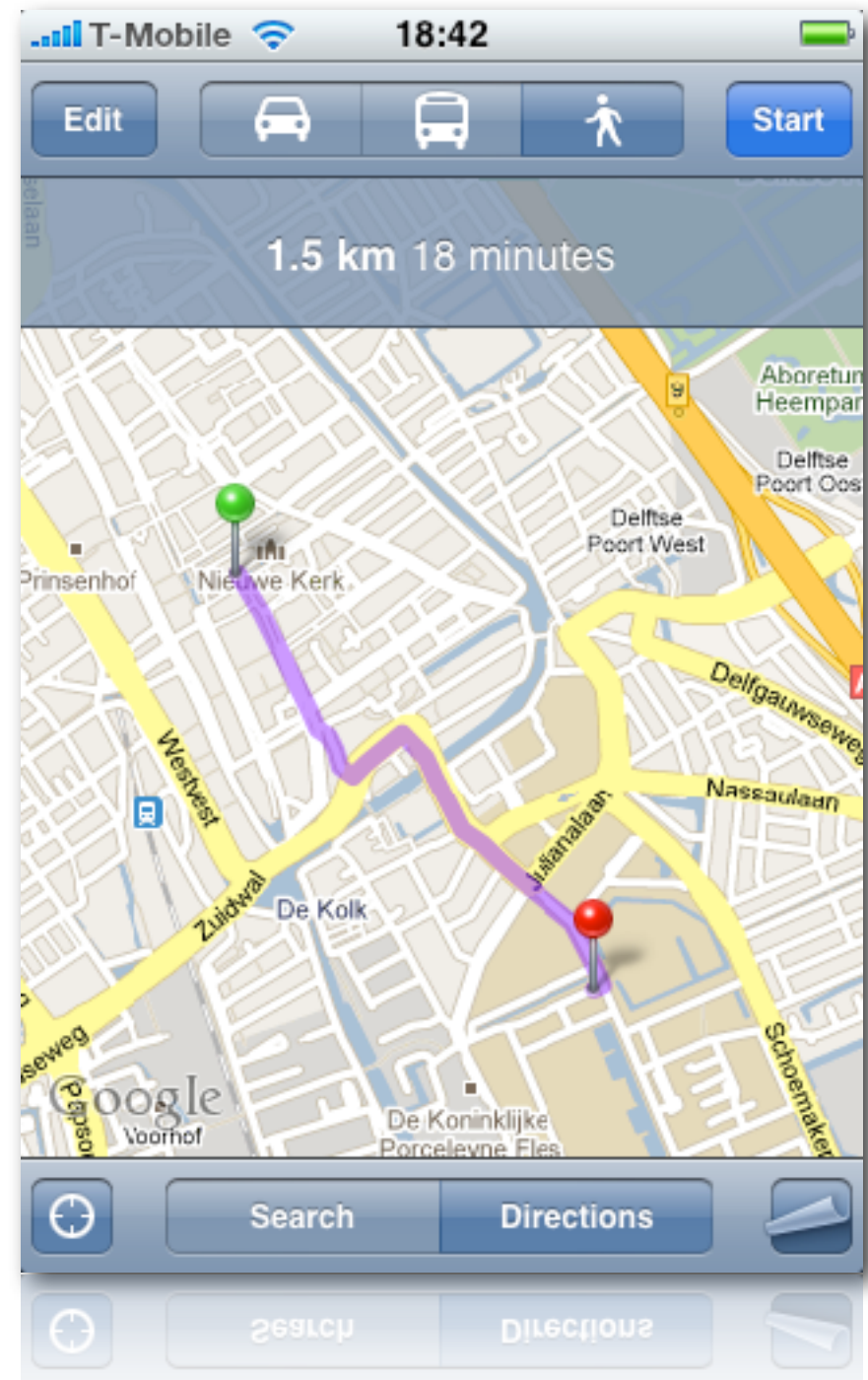
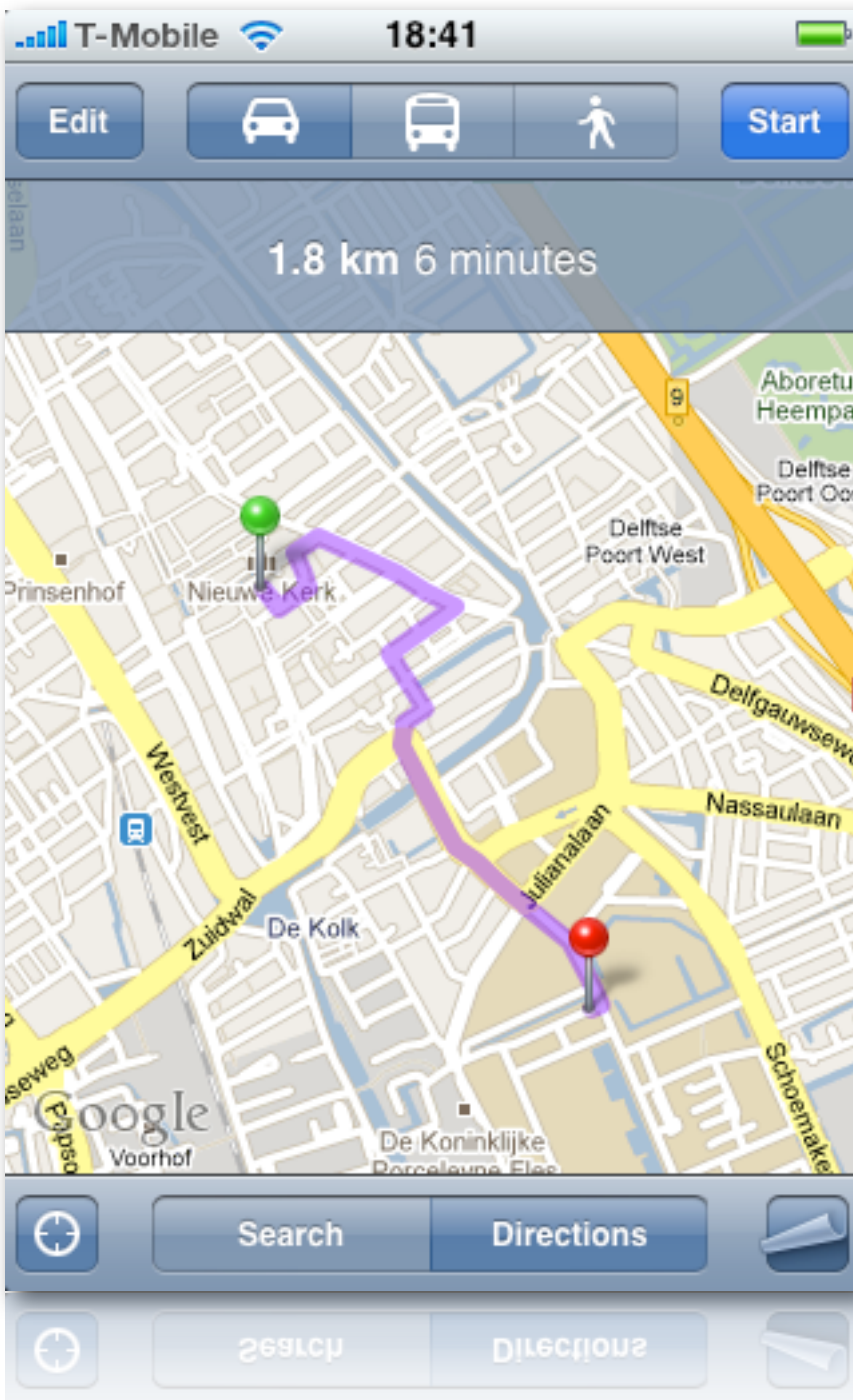
Applications

- Travel behaviour studies

Applications

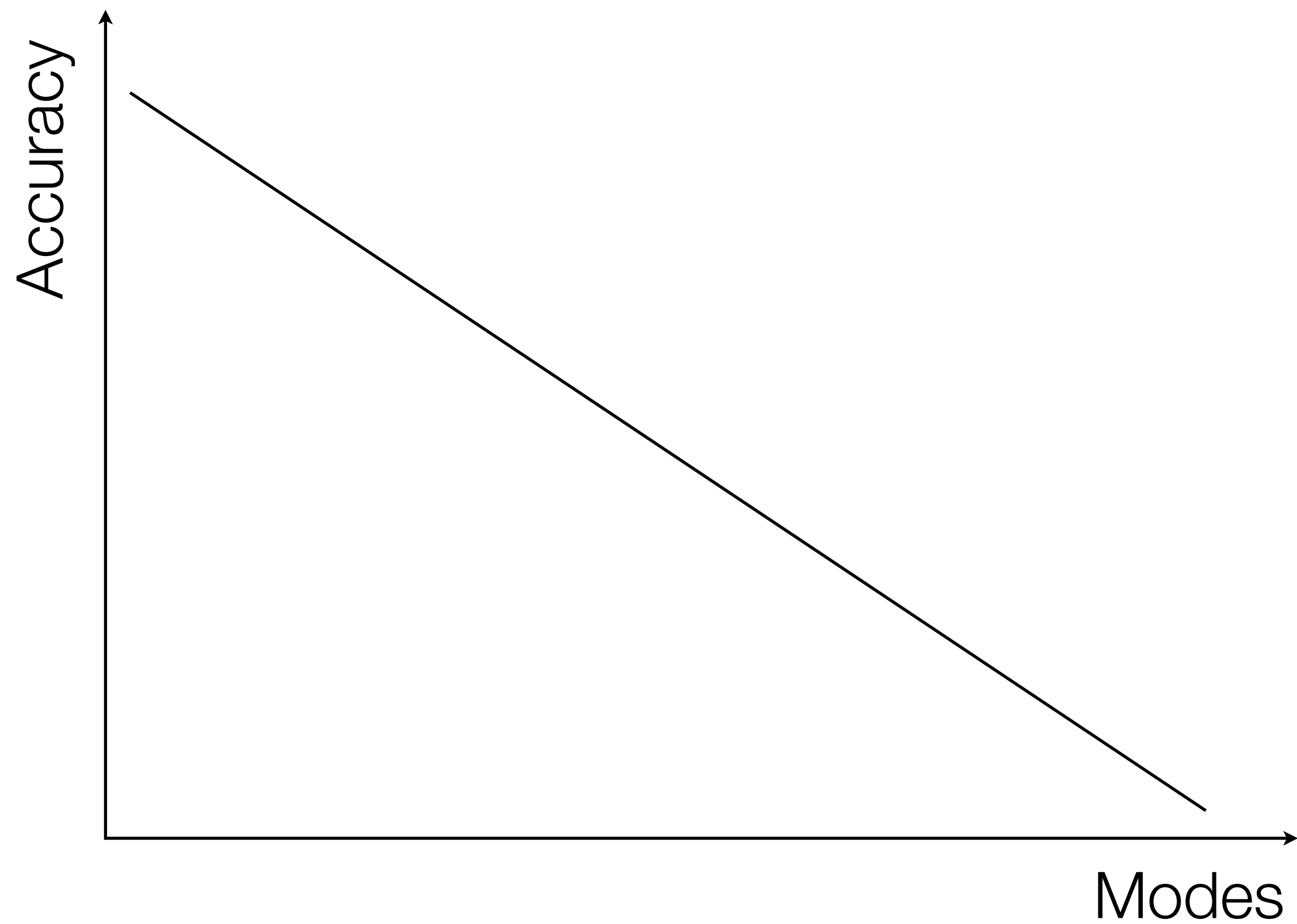
- Travel behaviour studies
- Datasets:
 - Department of Urban and Regional Development, OTB
 - Department of Urbanism, Faculty of Architecture
 - 17.6 M points from 1369 individuals
 - 539000 km





Existing solutions

- Deterministic solutions
- Speed
- A few modes (average: 4.5), dissimilar in behaviour
- Problem with data gaps not solved
- No segmentation



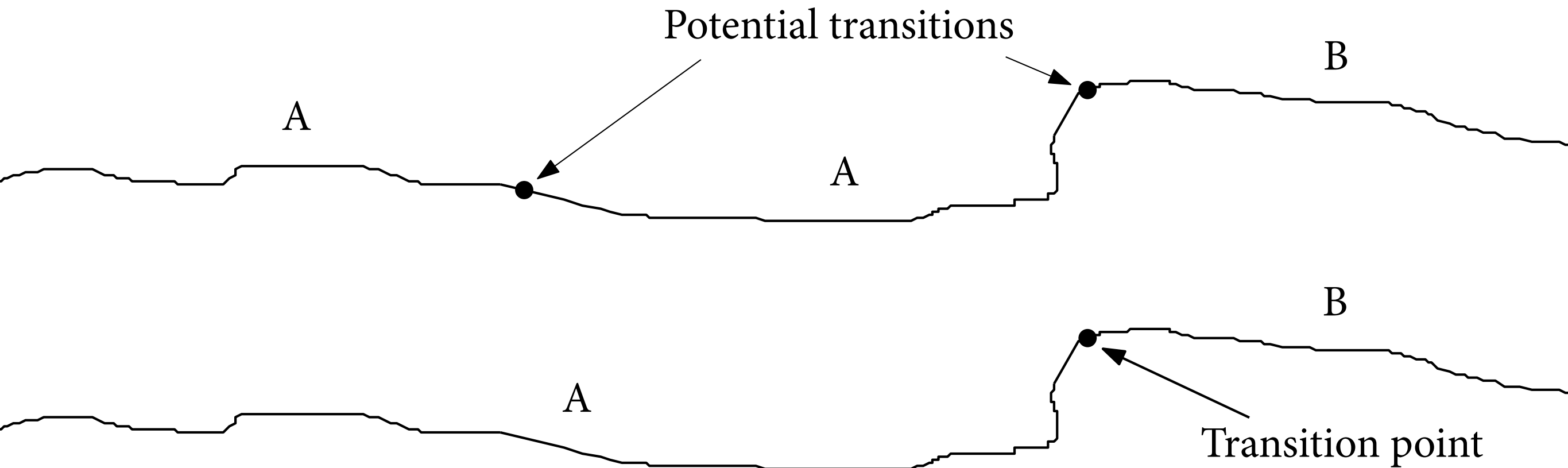
Overview

- Segmentation with sensitive thresholds
- Classification system inspired by fuzzy expert systems and strongly supported by geo-information
- Developed experimental software (Python + PostgreSQL/PostGIS)
- 10 modes: walking, bicycle, car, bus, tram, train, underground, sailing boat, ferry, aircraft

Segmentation

- Detection of stops or shortages in the data

Segmentation (2)



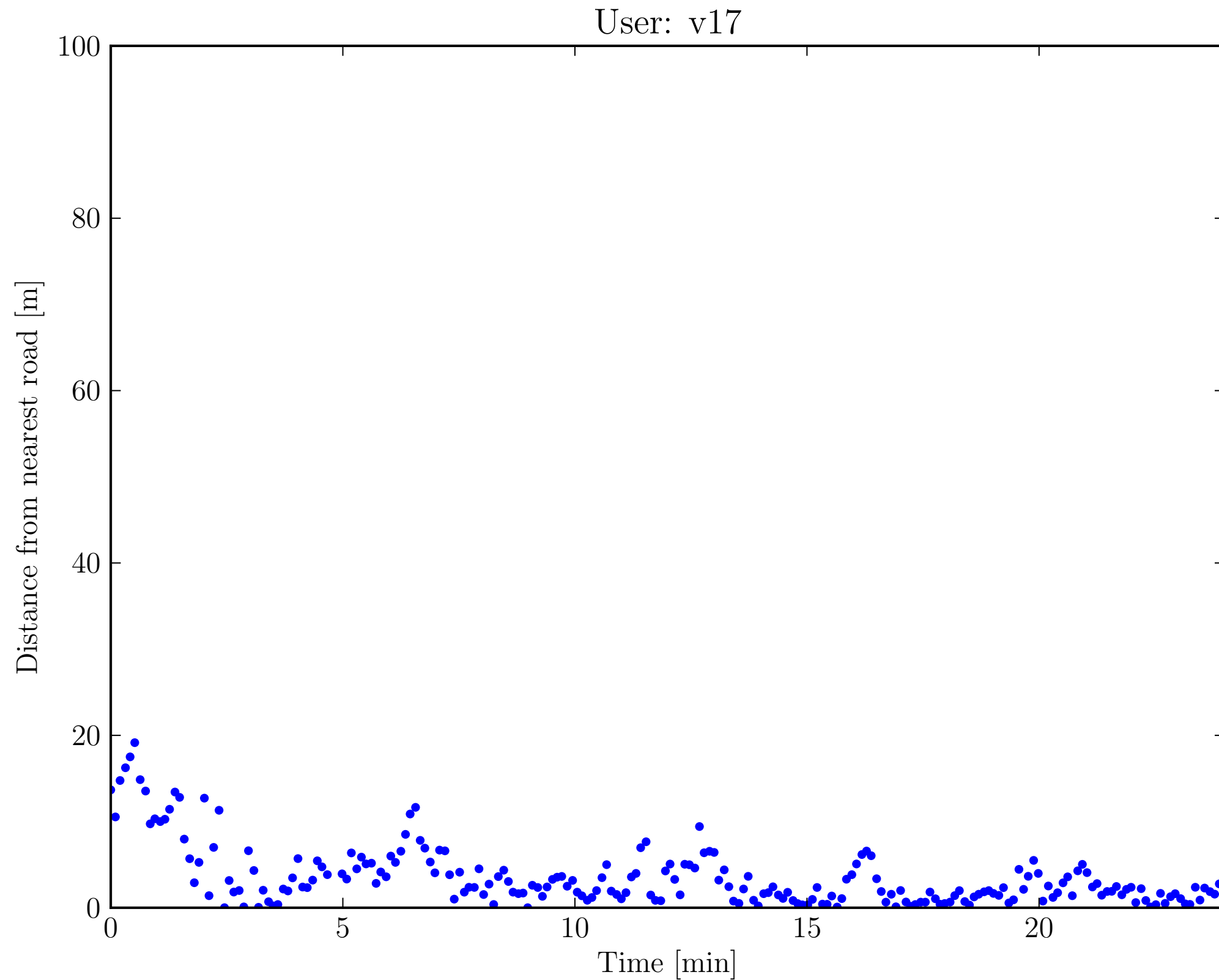
Segmentation (3)

- Sensitive thresholds
- Oversegmentation is better than undersegmentation

Classification solution

- Nine indicators: speed + geo-information
- Grouping similar modes
- Fuzziness
- Elimination of unlikely transportation modes

Proximities (from Openstreetmap data)



Grouping similar modes

1	Land	Sea	Air
2	Walk Bicycle Car/tram/bus Train Underground	Boat	Aircraft
3	Walk Bicycle Car Tram Bus Train Underground	Sailing boat Ferry	Aircraft

Classification (FES)

- Expert systems
- IF e is observed THEN h is true
- Certainty factors (CF): confidence of a claim
- Fuzzy logic

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- IF (max. speed is 138 km/h) THEN (mode = {car, train, . . . }) WITH CF = {0.6, 0.8, ...}

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- IF (max. speed is 138 km/h) THEN (mode = {car, train, . . . }) WITH CF = {0.6, 0.8, ...}
- Assigning certainties with fuzzy variables (via empirically determined membership functions):

$$CF = f(e)$$

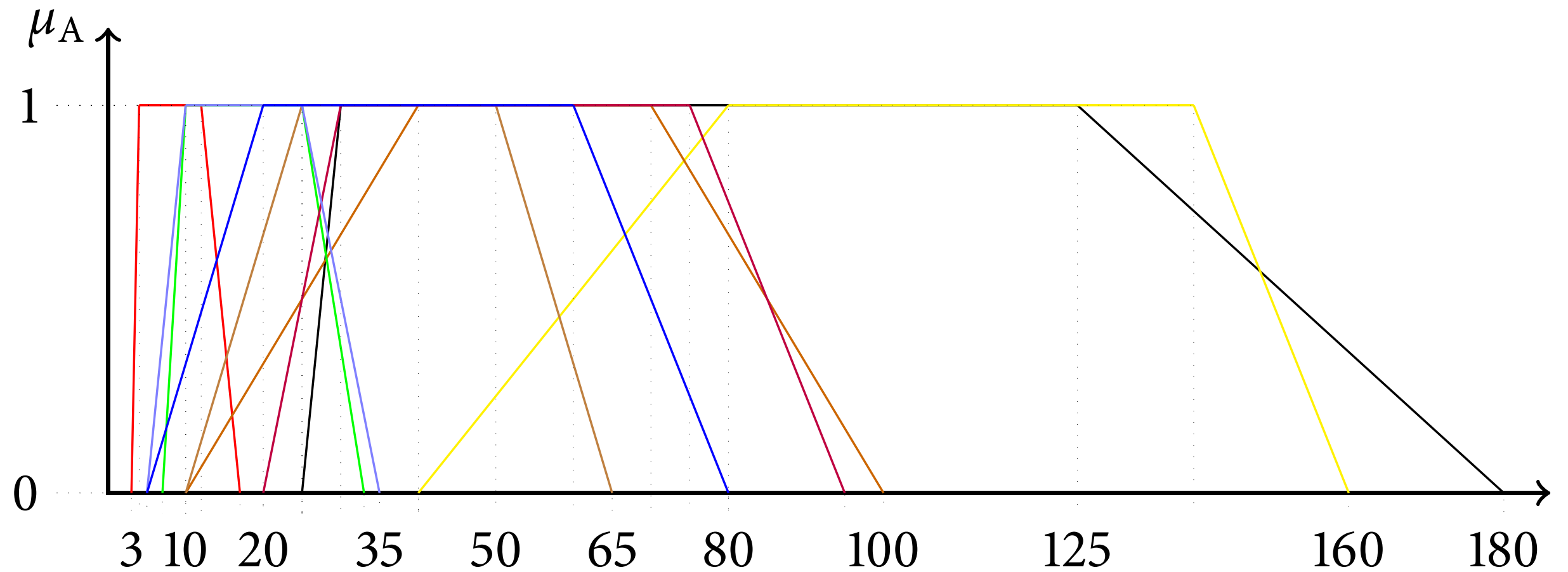
Membership functions

- One for each mode for each indicator

$$CF_m^i = f_m^i(i)$$

$$CF_{\text{train}}^{\text{max.speed}} = f_{\text{train}}^{\text{max.speed}}(\text{max.speed})$$





Training

- Training data - manual trials, iterative process
- Extensibility with XML:

```
<indicator name="bus_proximity">  
  <mode layer="3" name="bus">  
    <values>0,0,10,30</values>  
  </mode>
```

Chaining the results

- Result in nine CFs for each transportation mode

$$\begin{array}{cccc} \text{CF}_1^1 = f_1^1(i_1) & \text{CF}_1^2 = f_1^2(i_2) & \dots & \text{CF}_1^k = f_1^k(i_k) \\ \text{CF}_2^1 = f_2^1(i_1) & \text{CF}_2^2 = f_2^2(i_2) & \dots & \text{CF}_2^k = f_2^k(i_k) \\ \vdots & \vdots & \vdots & \vdots \\ \text{CF}_n^1 = f_n^1(i_1) & \text{CF}_n^2 = f_n^2(i_2) & \dots & \text{CF}_n^k = f_n^k(i_k) \end{array}$$

Chaining the results (2)

- $CF[A \cap B] = \min(CF[A], CF[B])$

$$\begin{array}{ccccccc} CF_1^1 = f_1^1(i_1) & CF_1^2 = f_1^2(i_2) & \dots & CF_1^k = f_1^k(i_k) & \Rightarrow CF_1 = \min(CF_1^1, \dots, CF_1^k) \\ CF_2^1 = f_2^1(i_1) & CF_2^2 = f_2^2(i_2) & \dots & CF_2^k = f_2^k(i_k) & \Rightarrow CF_2 = \min(CF_2^1, \dots, CF_2^k) \\ \vdots & \vdots & \vdots & \vdots & \\ CF_n^1 = f_n^1(i_1) & CF_n^2 = f_n^2(i_2) & \dots & CF_n^k = f_n^k(i_k) & \Rightarrow CF_n = \min(CF_n^1, \dots, CF_n^k) \end{array}$$

Chaining the results (3)

IF (max. speed is 55 km/h) THEN (mode = tram) WITH CF = 0.85

IF (proximity to tram network is 4933 m) THEN (mode = tram) WITH CF = 0

→ $CF(\text{tram}) = \min(0.85, 0) = 0$

Demonstration

- Prototype report
- KML output

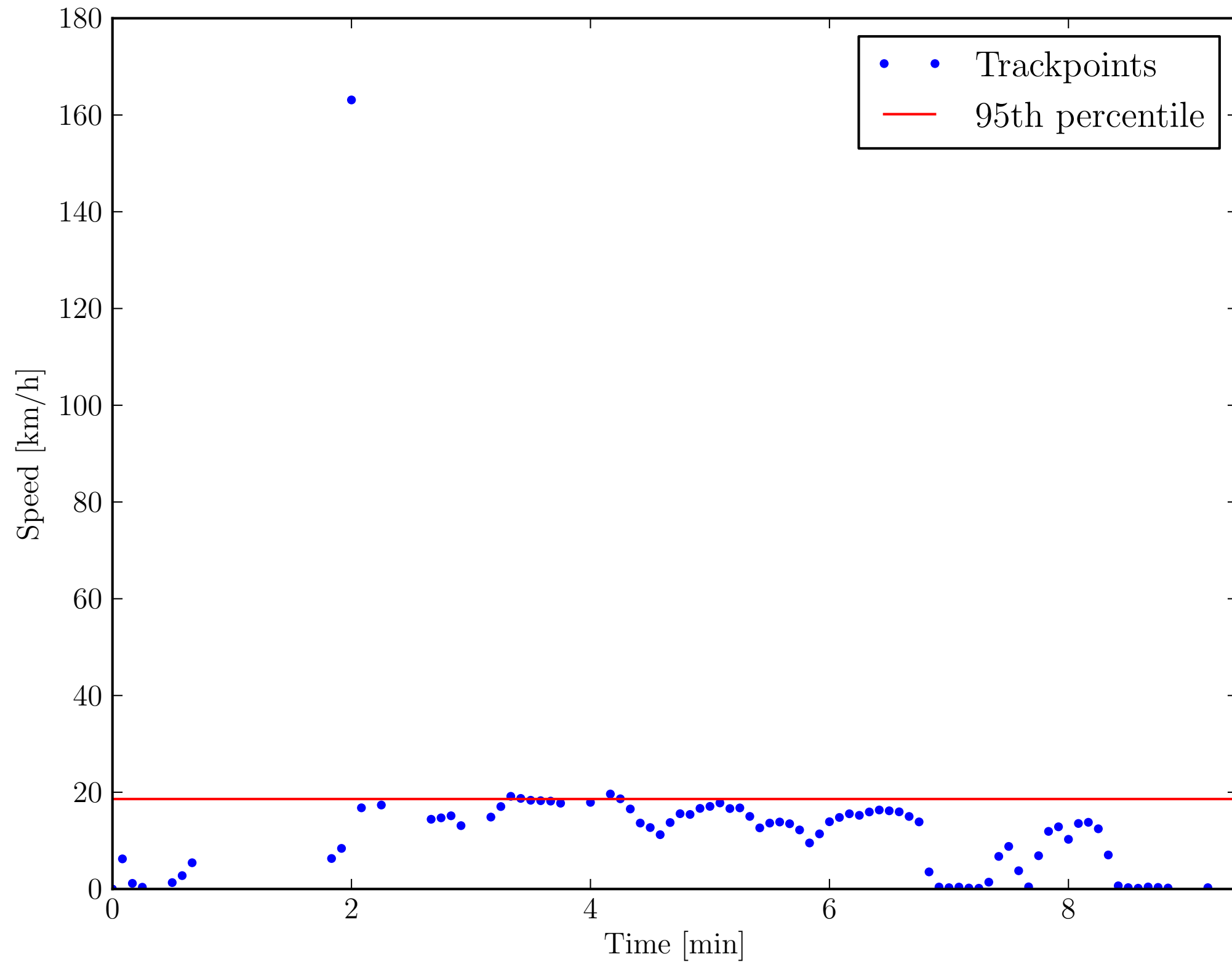
Solving specific problems

- GPS errors, noise
- Bus, tram, and cars in urban areas are similar in behaviour (speed, often stops, infrastructure-GPS errors)
- ‘Gaps’ in the data caused by signal shortages

Noise

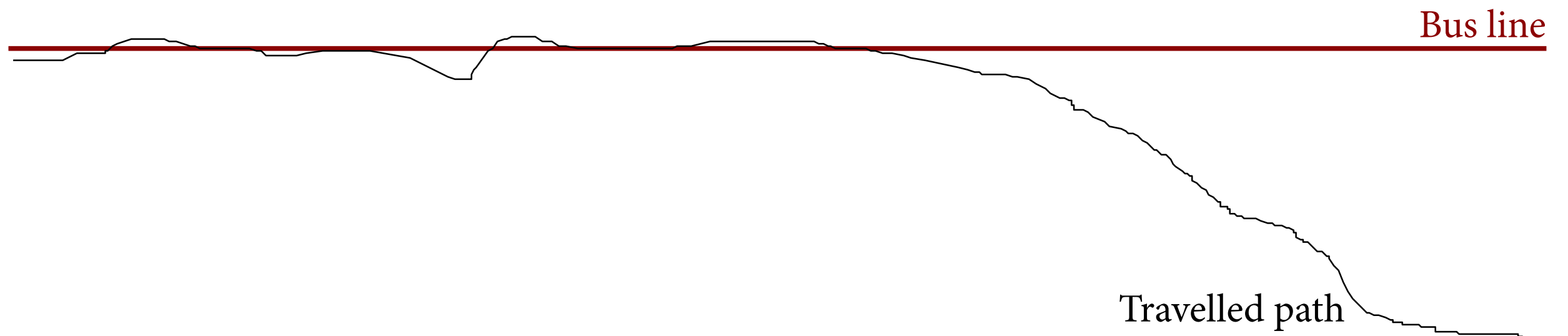


Noise (2)



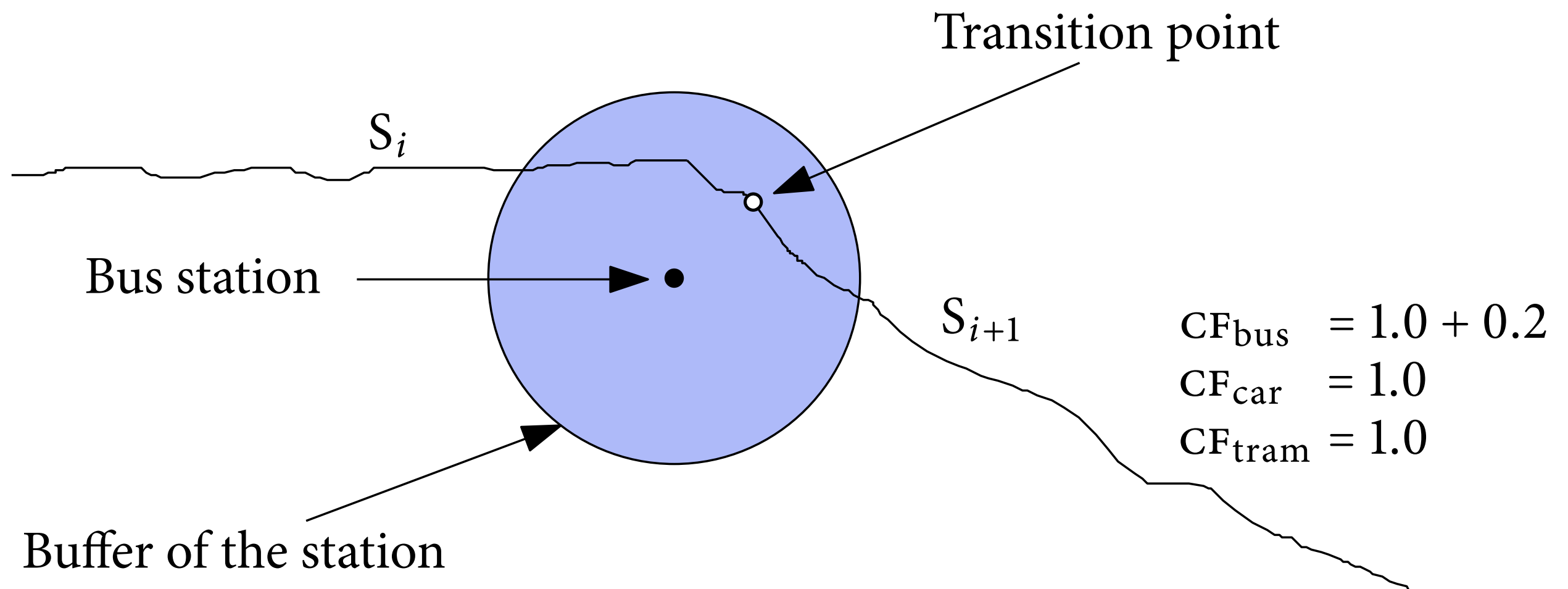
Distinguishing car, bus, and tram

- Infrastructure



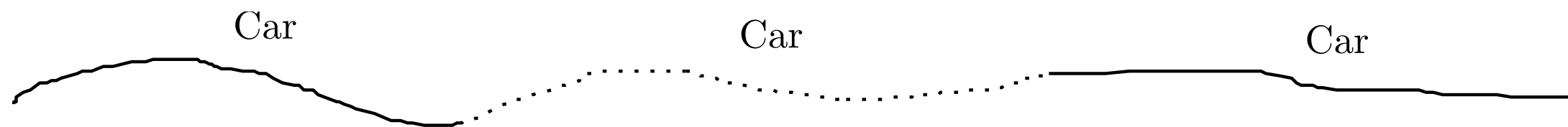
Distinguishing car, bus, and tram

- Assisted by the location of nearest bus/tram stops

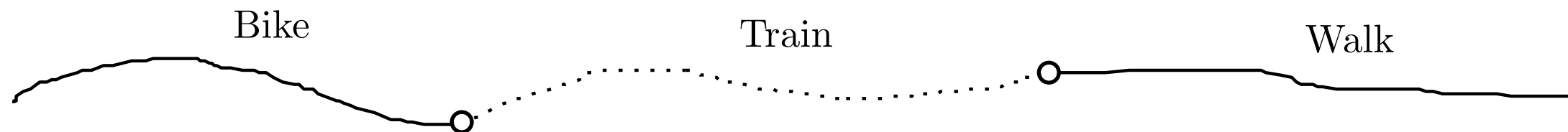


Missing time intervals

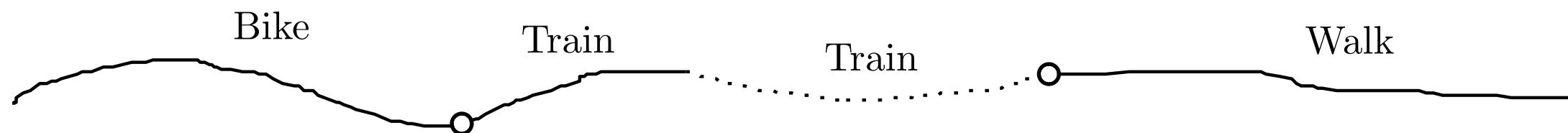
- Interpolation not possible



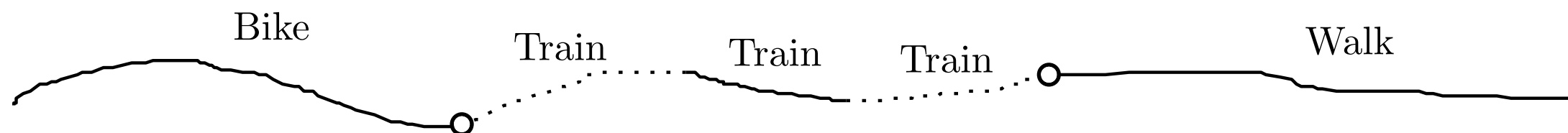
(a) "Regular" gaps where the mode was not changed.



(b) The whole segment done with another mode is not recorded.



(c) The first transition is recorded, but not the rest of the segment and the second transition.



(d) Neither of the transitions is detected, but a small fragment of the segment is recorded in between.

Missing time intervals (2)

- Example
- Attempted classification with geo-information and duration/distance of the gap
- Taking advantage of gaps for underground mode

Deriving additional mode-related information

- Segment done by train.
Departure station: Den Haag HS
Arrival station: Delft
- Segment done by aircraft.
Departure: Copenhagen, Denmark (CPH)
Arrival: Amsterdam, Netherlands (AMS)
Carrier(s): Scandinavian Airlines System, KLM Royal Dutch Airlines

Experiments

- A random subset of the dataset
- Available validated data (“ground truth”)
- Added a few tracks from abroad and specific situations

Experiments (results)

- Segmentation is precise and sensitive
- Very short segments are successfully detected and classified
- Long journeys (with a lot of observations), especially cars, are virtually always correctly classified
- Worldwide applicability (at least Europe)

Experiments (accuracy)

Quality of input data	Layers		
	1	2	3
Good GPS data	99.1%	94.5%	93.6%
Bad GPS data	99.0%	91.4%	89.2%
Total (all data)	99.0%	93.1%	91.6%

Experiments (problems)

- Very short trips with noisy points - human intervention not beneficial
- Attribution to water modes (in the Netherlands)
- Unusual behaviour (low or high speeds)
- Car, tram, bus - problems with incomplete data (combining them in one class - OK)

Conclusions

- Functional (extensible) prototype
- Geo-information is the key for solving this problem
- Openstreetmap is suitable for the classification
- Classification focused on removing unlikely classes

Conclusions (2)

- More modes, higher accuracy, results with certainties
- Solving the gaps, coping with noise, classification of short segments
- Enriching the trajectories with more information

Future work

- Classification for trip purpose
- Established framework
- OSM data suitable as well

Questions?

